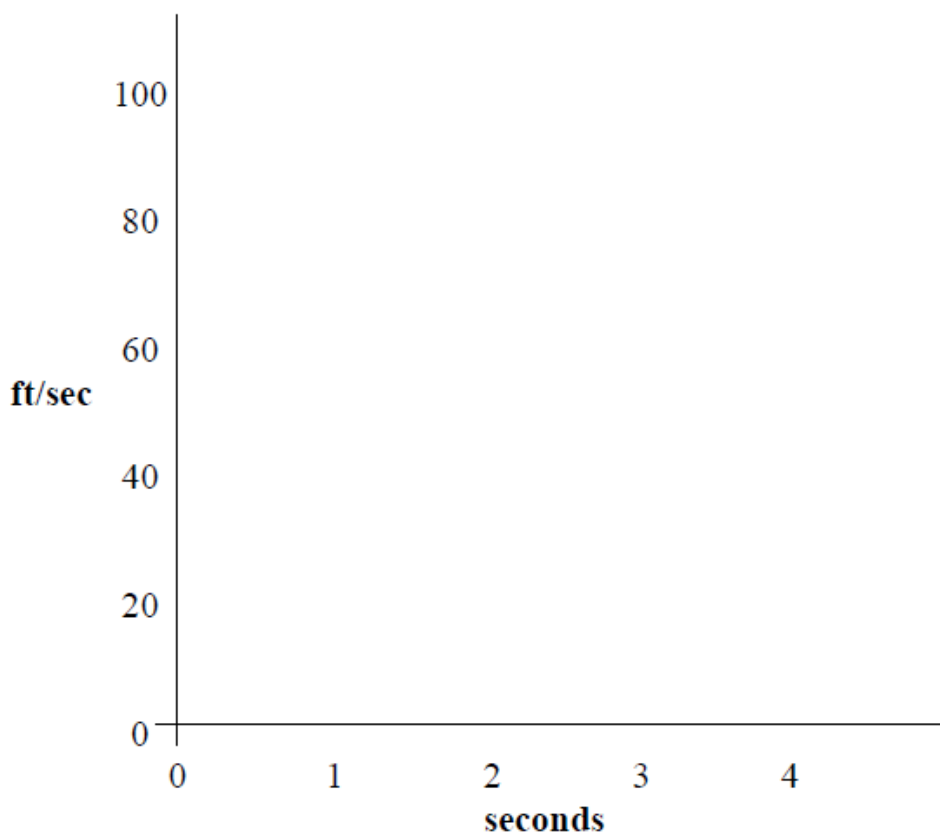


Applications of The Definite Integral

Distance from Velocity Application

The velocity of a car while stopping is measured at one-second intervals: the results are given in the following table. Graph each as ordered pairs (velocity over time) and connect to create a curve for the velocity function.

Time(sec)	0	1	2	3	4
Velocity(ft/sec)	90	60	35	15	5

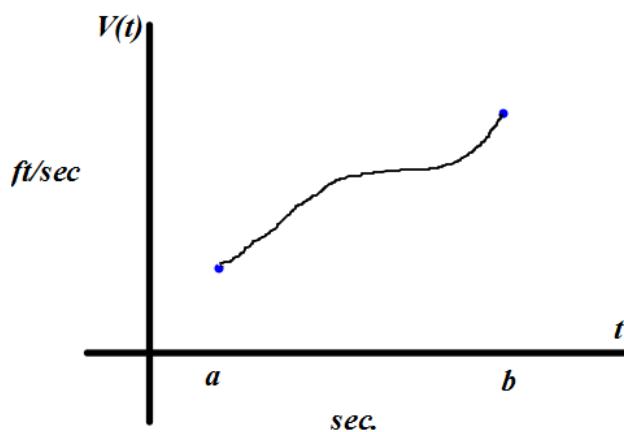


Find an estimate for the area under the curve using a left, right and trapezoidal approximation for this region. What have you found? Label your answer!

AP Application of finding integrals

In general, when a rate of change function is given and graphed over time, the integral gives us TOTAL ACCUMULATION. Hint: multiply units (since finding area results in multiplication) from the y -axis with those from the x -axis to see “what is accumulating”

EX:



$\int_a^b V(t)dt$ gives the total feet traveled from a to b

AP APPLICATION OF AN OBJECT IN MOTION

Use your graphing calculator to help answer the following questions.

If $V(t) = 3t^2 - 12t + 9$ represents the **velocity** of an object (in ft/sec) moving left and right whose original position is the origin.

A) What is the position of the object (with respect to the origin) after 5 seconds?

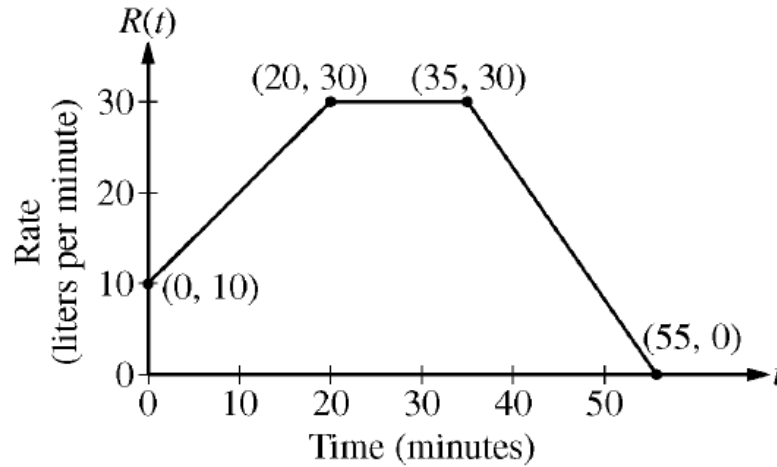
B) How far total has the object travelled during the 5 seconds?

AP APPLICATION FOR ACCUMULATION OF VARIABLE FUNCTIONS

A hive contains 35 hundred bees at time $t = 0$. During the time interval $0 \leq t \leq 4$ hours, bees enter the hive at a rate modeled by $E(t) = 16t - 3t^2$, where $E(t)$ is measured in hundreds of bees per hour. During the same time interval, bees leave the hive at a rate modeled by $L(t) = -2t + 15$, where $L(t)$ is measured in hundreds of bees per hour.

- (a) How many bees leave the hive during the time interval $0 \leq t \leq 2$?
- (b) Write an expression involving one or more integrals for the total number of bees, in hundreds, in the hive at time t for $0 \leq t \leq 4$. Find the total number of bees in the hive at $t = 4$.

AP APPLICATION FOR ACCUMULATION OF A GRAPHICAL FUNCTION



At time $t = 0$ minutes, a tank contains 100 liters of water. The piecewise-linear graph above shows the rate $R(t)$, in liters per minute, at which water is pumped into the tank during a 55-minute period.

Use the graph to answer the following question

How many liters of water have been pumped into the tank from time $t = 0$ to time $t = 55$ minutes? Show the work that leads to your answer.

AP APPLICATION FOR ACCUMULATION USING A TABLE OF VALUES

t (minutes)	0	12	20	24	40
$v(t)$ (meters per minute)	0	200	240	-220	150

Johanna jogs along a straight path. For $0 \leq t \leq 40$, Johanna's velocity is given by a differentiable function v . Selected values of $v(t)$, where t is measured in minutes and $v(t)$ is measured in meters per minute, are given in the table above.

Use a Right Riemann Sum to find an estimate for $\int_0^{40} v(t) dt$ and $\int_0^{40} |v(t)| dt$. Label your answers and explain what each represents in context of the situation.